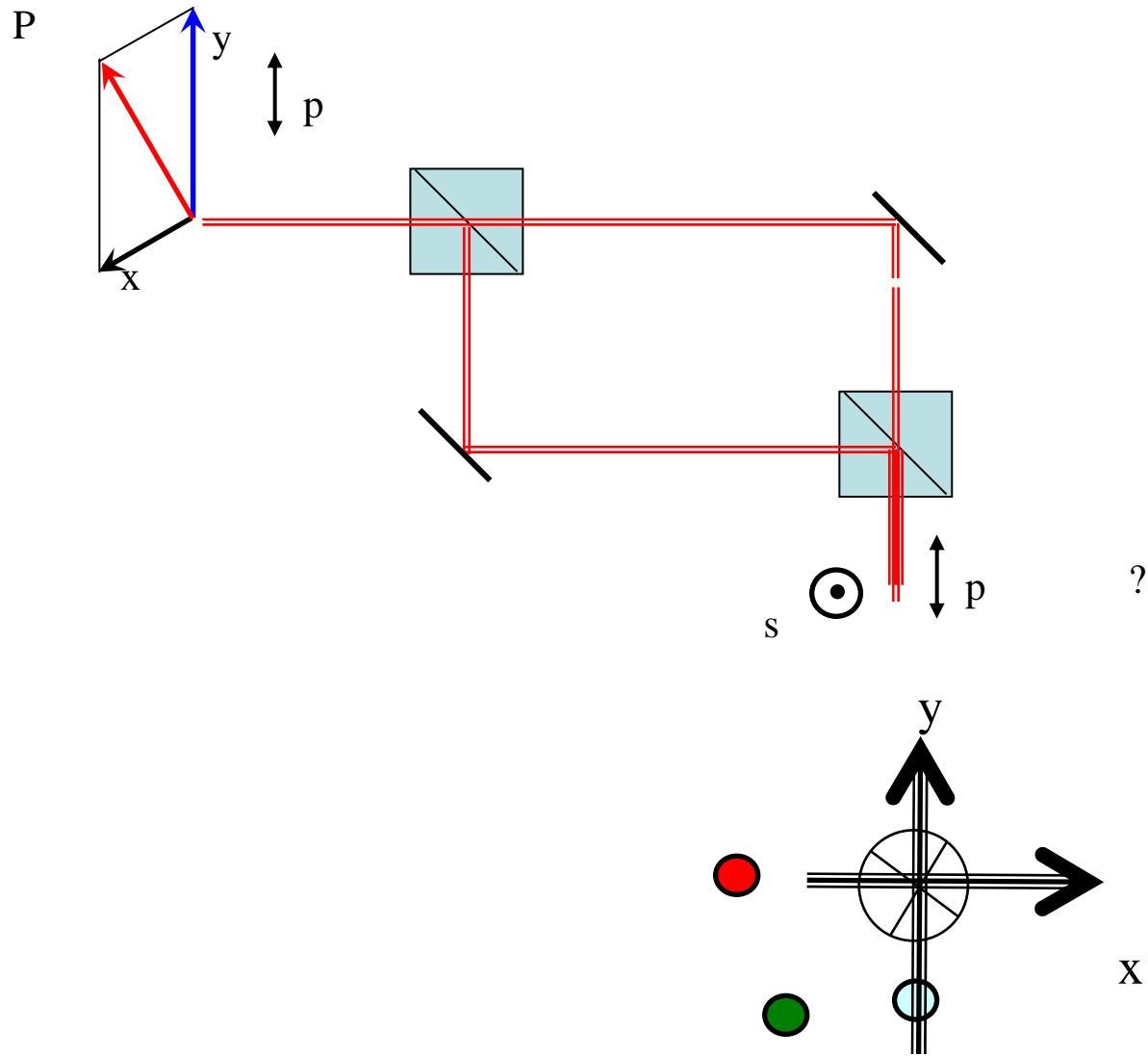
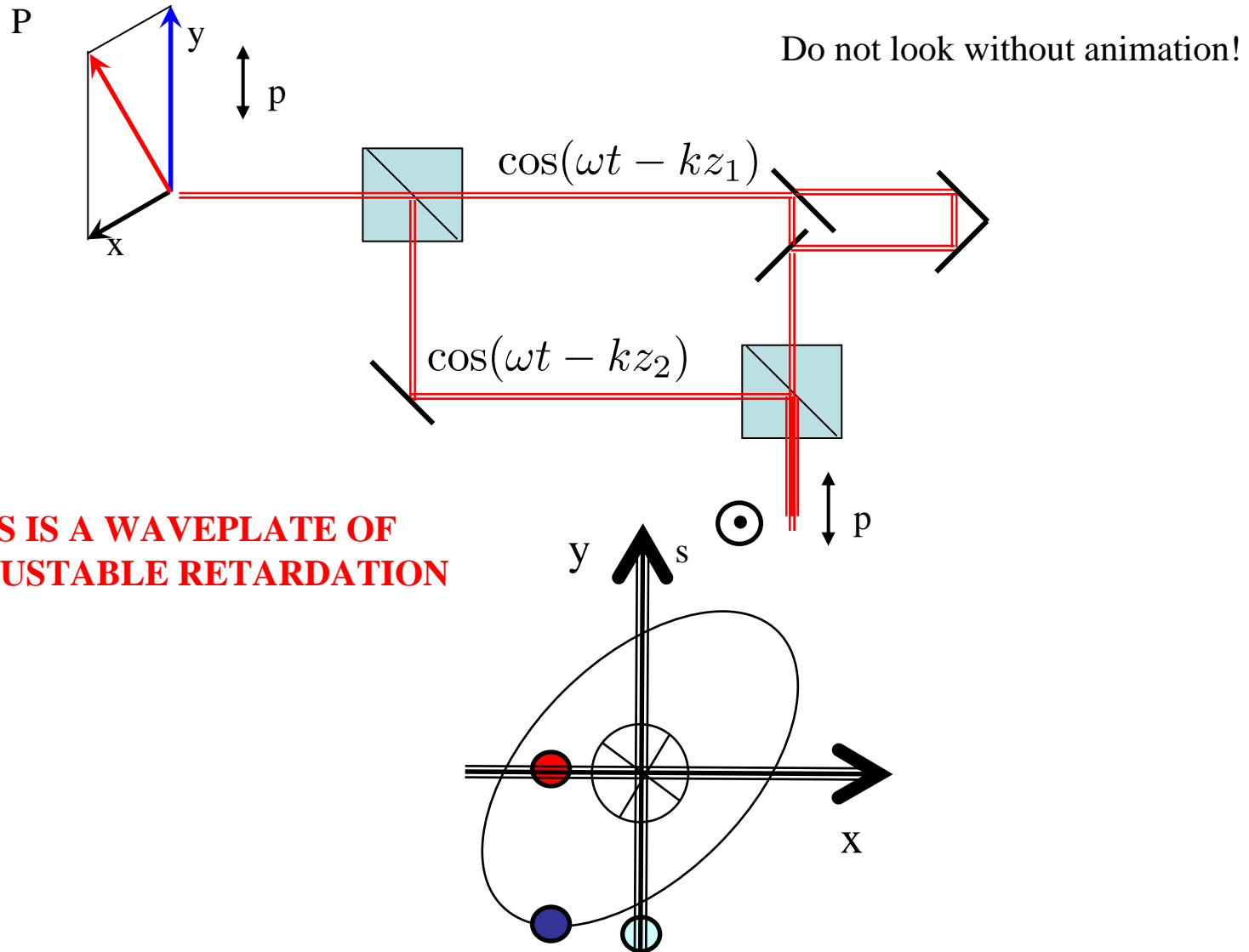


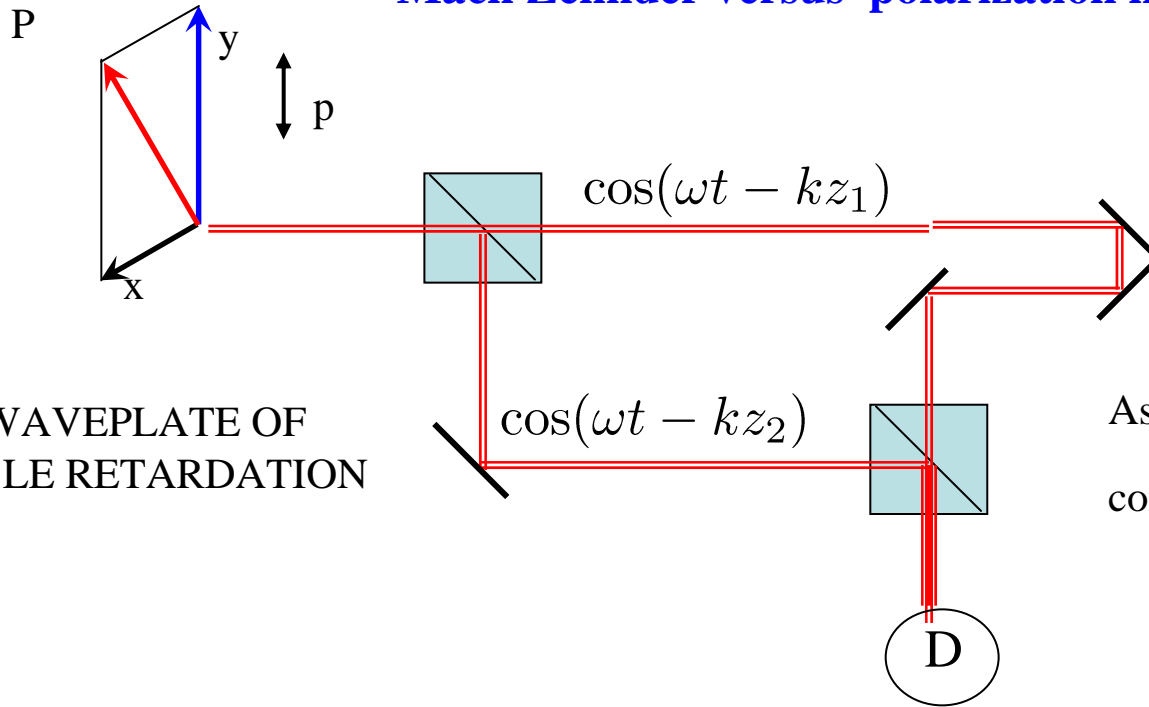
# The rich man polarization manipulator



## The rich man polarization manipulator



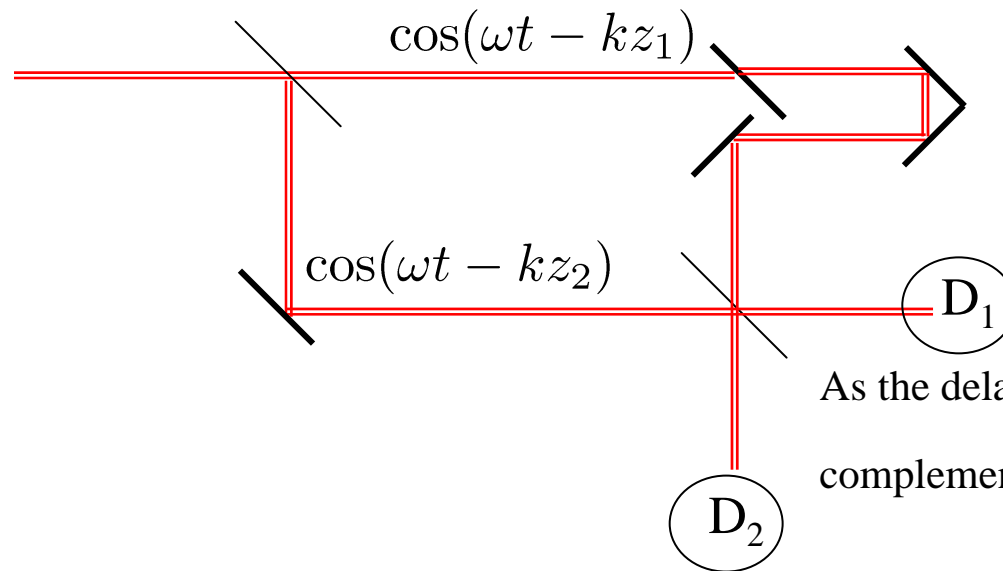
## Mach Zehnder versus polarization manipulator



THIS IS A WAVEPLATE OF  
ADJUSTABLE RETARDATION

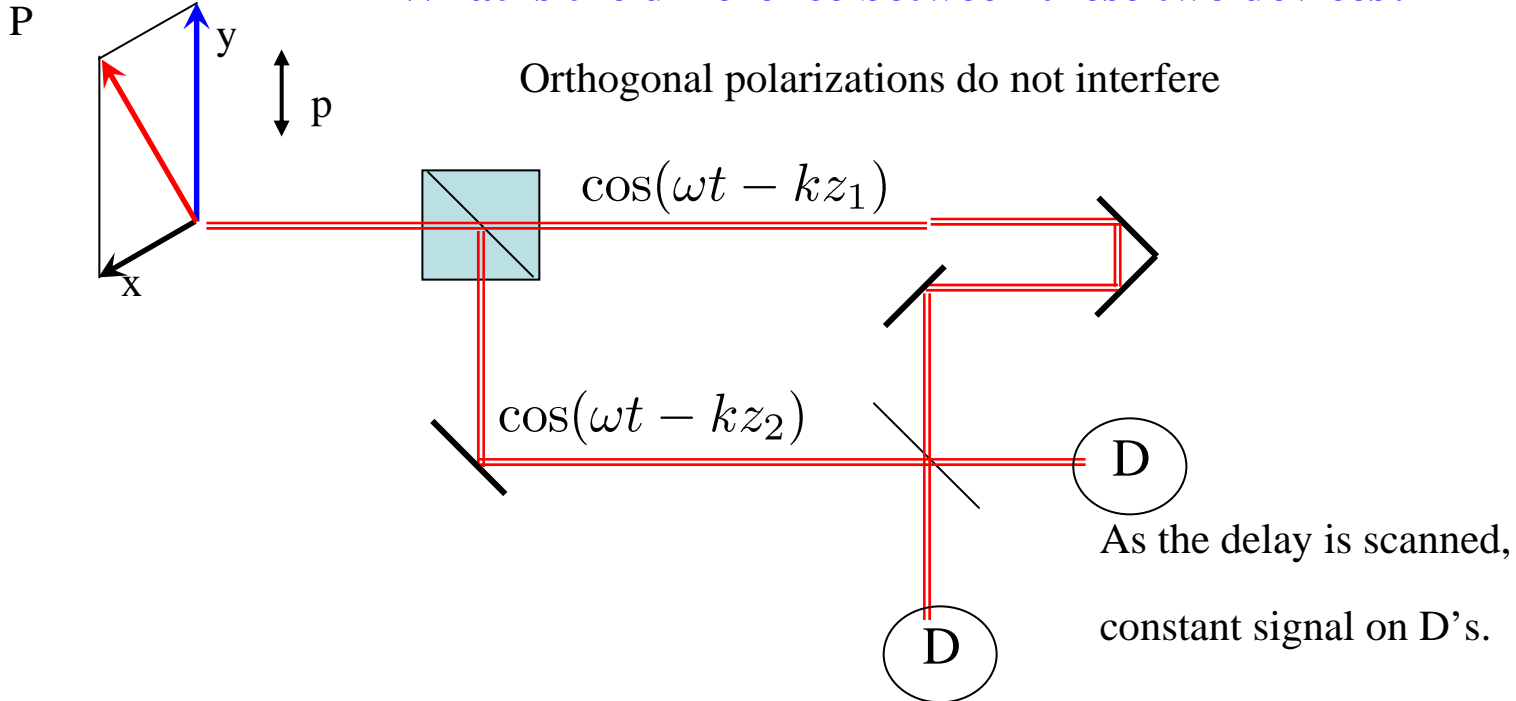
As the delay is scanned,  
constant signal on D.

MACH ZEHNDER

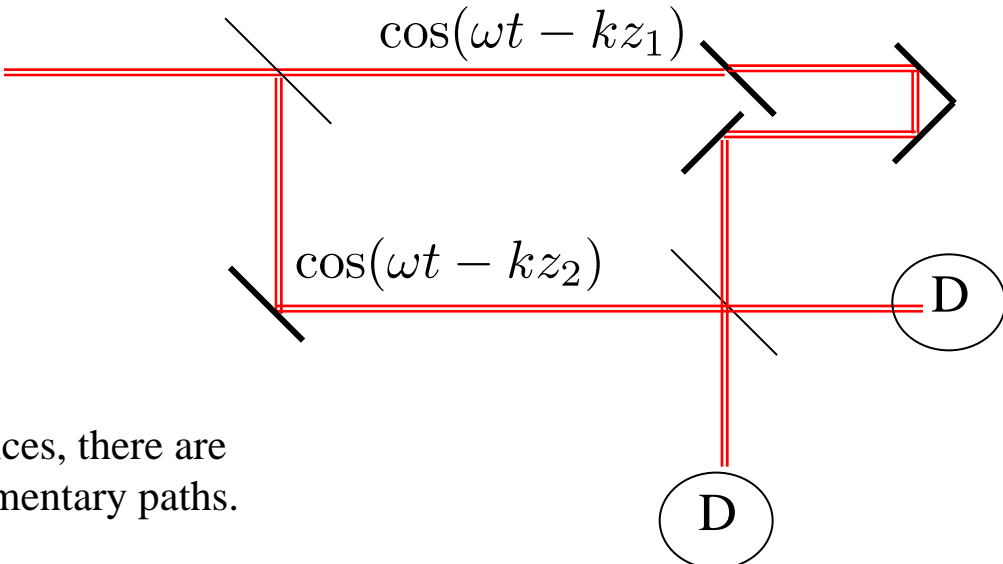


As the delay is scanned,  
complementary fringes on D1 and D2

**What is the difference between these two devices?**



**MACH ZEHNDER**

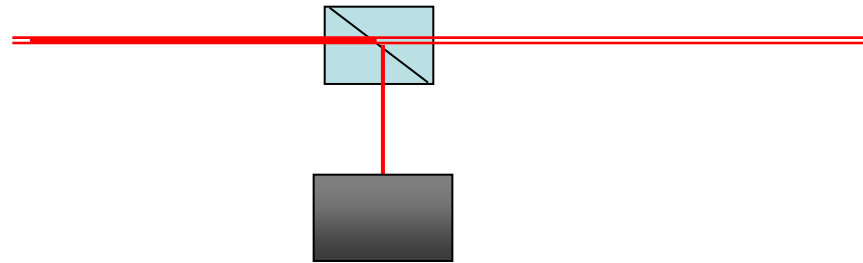


If there are interferences, there are ALWAYS 2 complementary paths.

**If there are interferences, there are ALWAYS 2 complementary paths.**

The second path may be well hidden, as in the example of a polarizing sheet

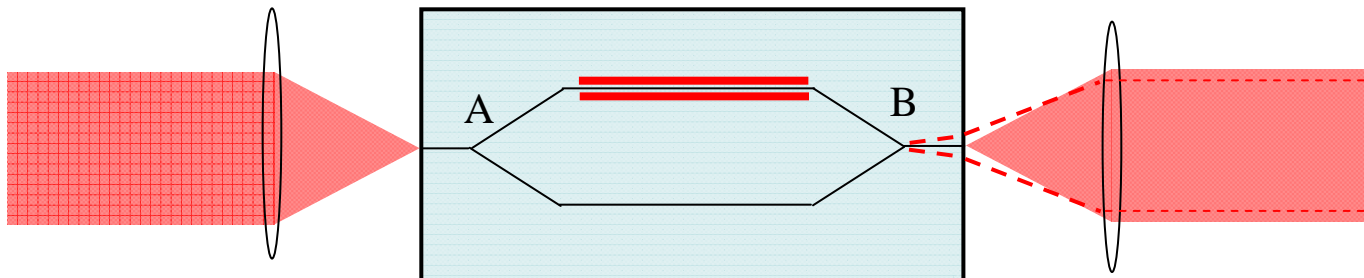
A sheet polarizer can be viewed as a combination of a polarizing beam splitter and an absorber:



Other example: Mach Zehnder amplitude modulator used with fibers in communication:

A 50/50 splitter in A, 2 equal paths before recombining in B – constructive interference into the waveguide, output collected by a lens. The interference becomes destructive in B when a voltage is applied to one branch. Where does the light power go? Out of the waveguide, (dashed line). If the waveguide after B is too short, it might be collected by the output lens.

5  
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# Coherence

Pedrotti Chapter 9

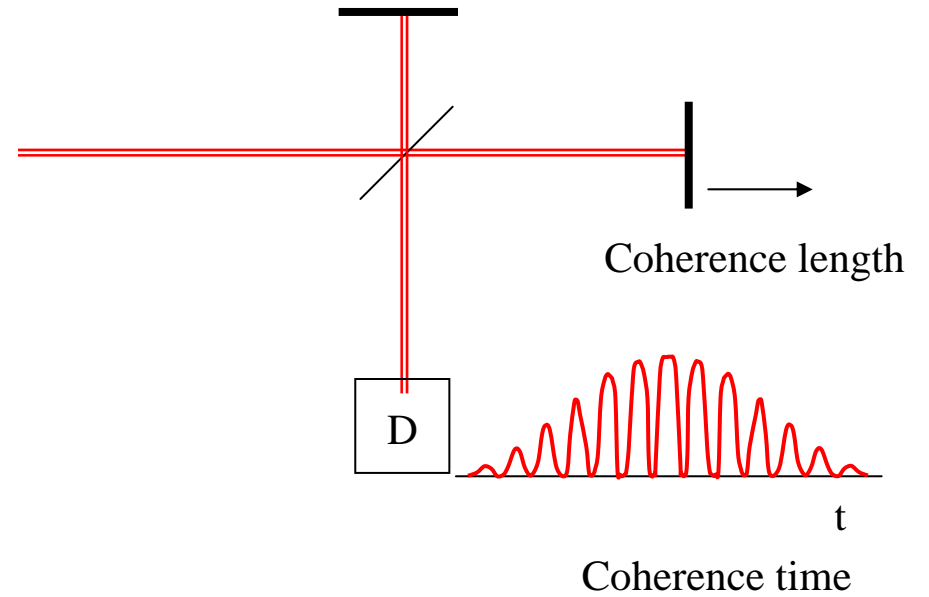
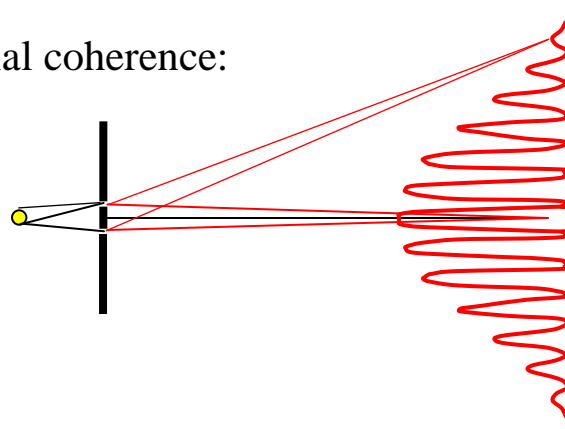
Coherence time, coherence length

Michelson

Sodium doublet

588.9950 and 589.5924 nm

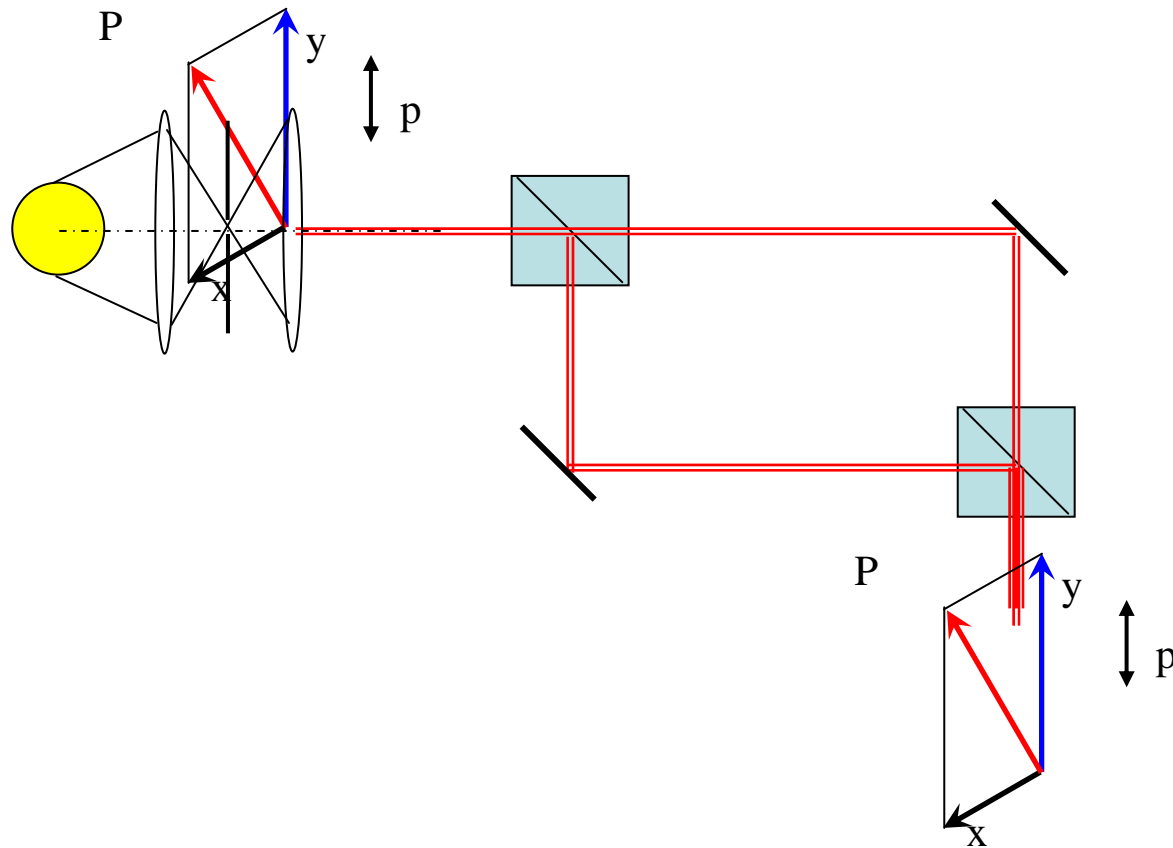
Spatial coherence:



If there are interferences, there are ALWAYS 2 complementary paths.

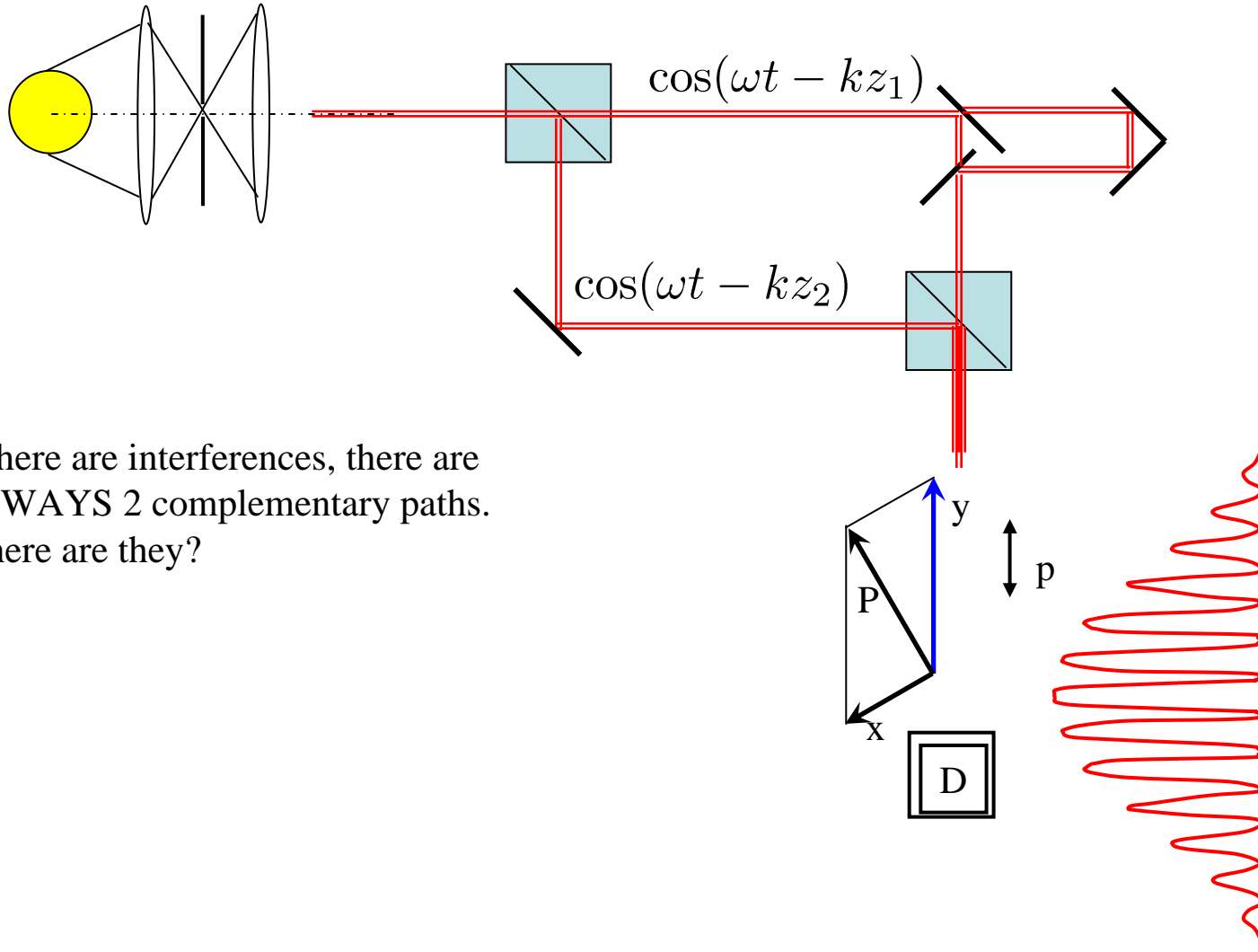
## Polarization and coherence

Is there something such as “polarization coherence”?



## Polarization and coherence

Do not look without animatio!



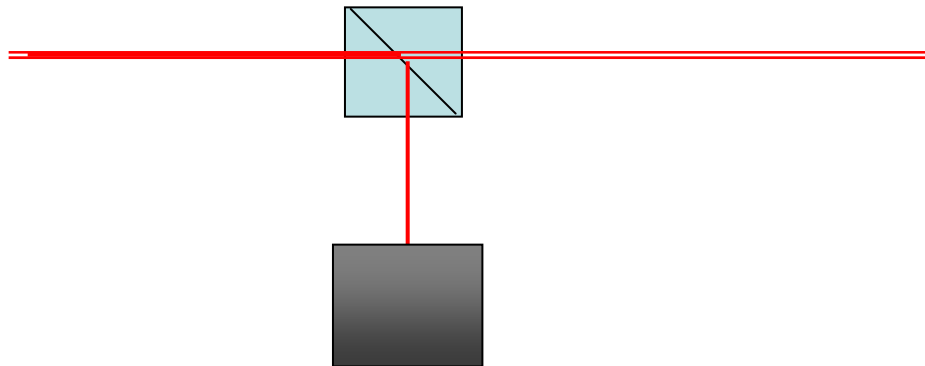
If there are interferences, there are ALWAYS 2 complementary paths.  
Where are they?



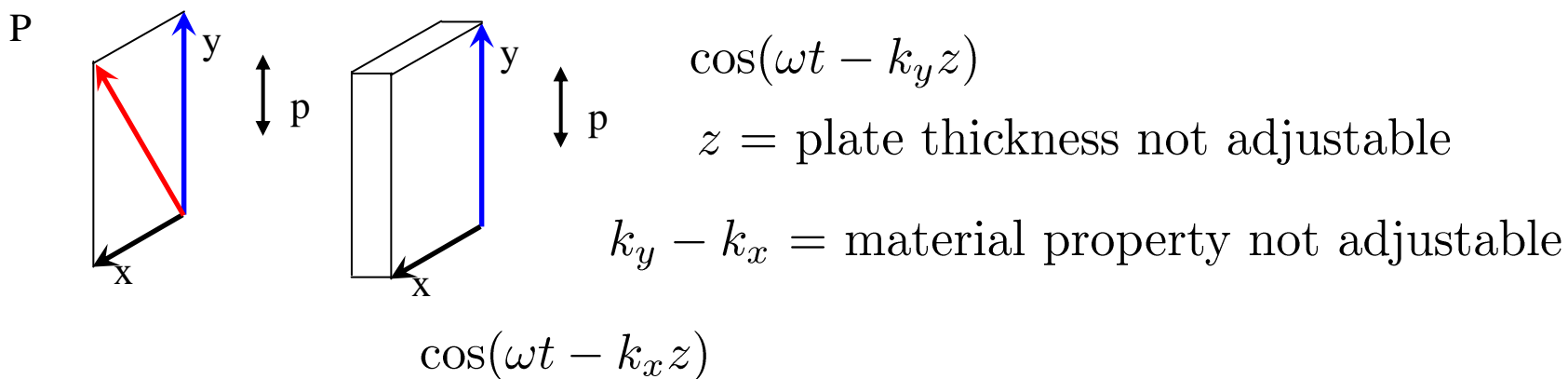
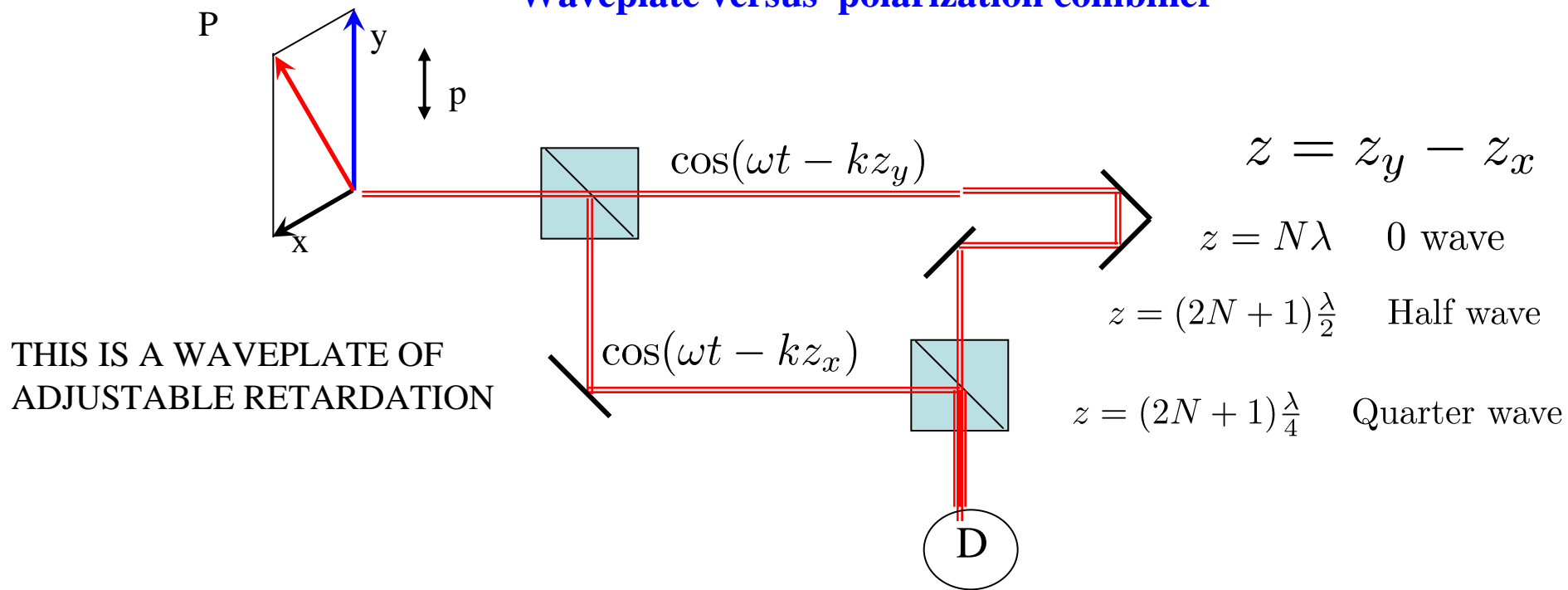
2 orthogonal polarizations cannot interfere.

By projecting them with a polarizer at  $45^\circ$ , they become parallel and can interfere

A sheet polarizer is a polarizing beam splitter + an absorber:



## Waveplate versus polarization combiner



## Another polarization gate

Other than the polarization gate using a multiple order  $\lambda/4$  wave plate plus a zero order  $\lambda/4$  wave plate. Another version will be a multiple order full  $\lambda$  wave plate plus a zero order  $\lambda/4$  wave plate.

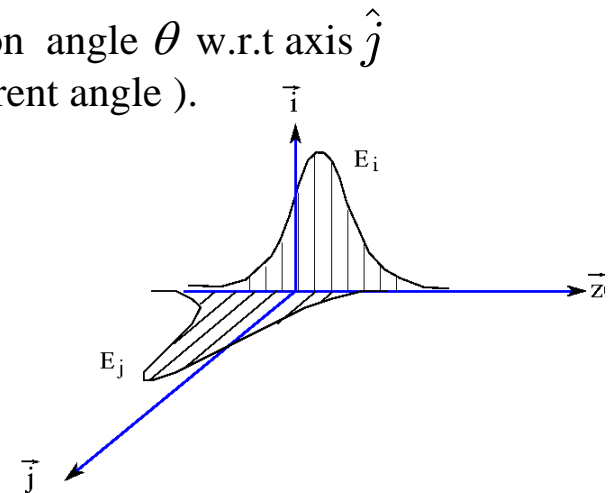
$$E(t) = 2\mathcal{E}(t) \cos(\omega t) \qquad \mathcal{E}(t) = E_0 e^{-\frac{t^2}{t_p^2}}$$

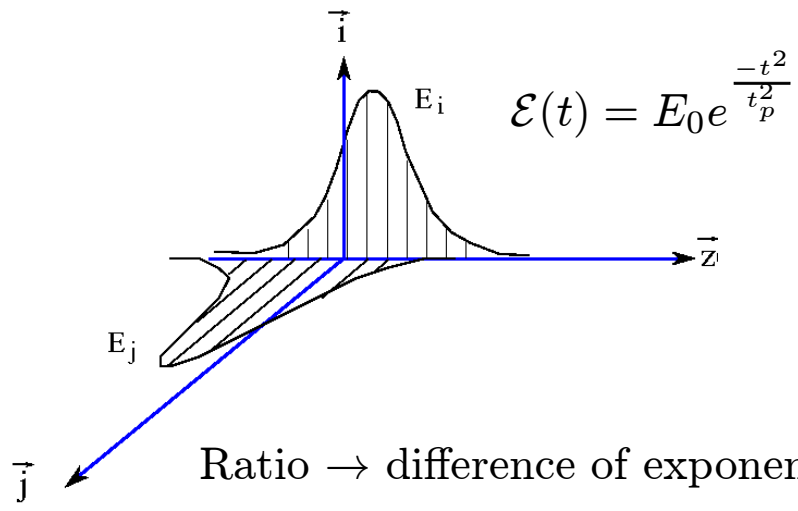
The electric field is first incident on a multiple full wave plate with its polarization axis at  $45^\circ$  with respect to the fast axis of the wave plate.

*The wave plate introduces a group delay of 6.2 fs between its e and o components*

$$E(t) = \sqrt{2} [ \underset{\substack{\nearrow \\ \text{Fast axis}}}{E_0^-(t') \hat{i}} + \underset{\substack{\nearrow \\ \text{slow axis}}}{E_0^+(t') \hat{j}} ] \cos(\omega t')$$

This is a linear polarized pulse with time dependent polarization angle  $\theta$  w.r.t axis  $\hat{j}$  (i.e. different portion of the pulse in time are polarized at different angle).

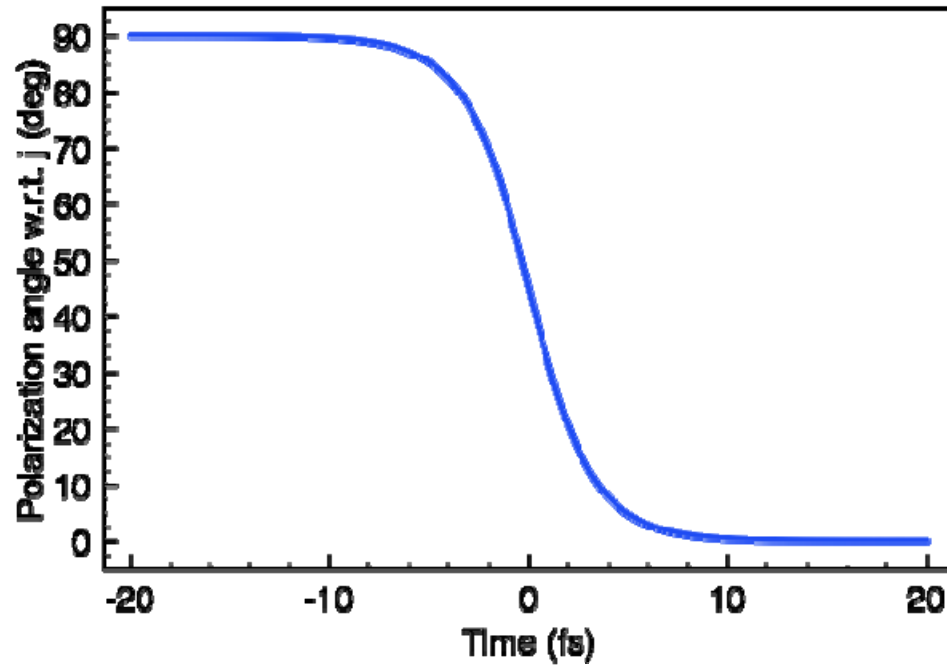




$$\theta(t') = \tan^{-1} \left[ \frac{E_0^+(t')}{E_0^-(t')} \right]$$

$$= \tan^{-1} \left( e^{-\frac{2\tau t'}{\tau_p^2}} \right)$$

Ratio  $\rightarrow$  difference of exponents  $\rightarrow \frac{1}{\tau_p^2} [(t^2 + \tau^2 - 2t\frac{\tau}{2}) - (t^2 + \tau^2 + 2t\frac{\tau}{2})]$



A zero order  $\lambda/4$  wave plate is placed at an angle  $\theta_2$  with respect to the full wave plate.

Project the electric field onto the F.A. and S.A (x' and y') ) of the zero-order  $\lambda/4$  wave plate.  
After the  $\lambda/4$  wave plate, the electric field becomes:

$$\begin{aligned} E_{x'}(t') &= \sqrt{2} \cos(\omega t) [E_0^-(t') \cos \theta_2 + E_0^+(t') \sin \theta_2] \\ E_{y'}(t') &= -\sqrt{2} \sin(\omega t) [E_0^+(t') \cos \theta_2 - E_0^-(t') \sin \theta_2] \end{aligned}$$

This is a elliptical polarized pulse with its major and minor axis on x' and y'. Its ellipticity is:

$$\epsilon(t') = \left| \frac{E_0^-(t') \sin(\theta_2) - E_0^+(t') \cos(\theta_2)}{E_0^-(t') \cos(\theta_2) + E_0^+(t') \sin(\theta_2)} \right|$$

With  $\theta_2 = 45^\circ$  the ellipticity is:

$$\begin{aligned} \epsilon(t') &= \left| \frac{E_0^-(t') - E_0^+(t')}{E_0^-(t') + E_0^+(t')} \right| \\ &= \left| \frac{e^{\frac{2\tau t'}{\tau_p^2}} - 1}{e^{\frac{2\tau t'}{\tau_p^2}} + 1} \right| \end{aligned}$$

